

Solutions for In-Class Problems 15 for Monday, March 26

These problems are from [Pre-Class Problems 15](#).

1. If \$100,000.00 is invested at a rate of 6% per year, then determine the amount in the investment at the end of 4 years for the following compounding options.
 - a. compounded quarterly
 - b. compounded monthly
 - c. compounded daily
 - d. compounded continuously

2. Sketch the graph of the following functions. State the domain of the function and use the sketch to state the range of the function.
 - a. $f(x) = \log_{1/4}(x + 3) + 8$
 - b. $g(t) = 2\ln(-t) - 4$
 - c. $y = -\frac{2}{3}\log(x - 2) + 5$

3. Find the domain of the following functions.
 - a. $f(x) = \log_5(x^2 - 5x + 6)$
 - b. $y = \log_{3/4}(7x + 3)^2$

SOLUTIONS:

1a. compounded quarterly

Back to [Problem 1](#).

$$A = P\left(1 + \frac{r}{n}\right)^{nt}$$

$$P = \$100,000.00, r = 6\% = 0.06, n = 4, \text{ and } t = 4$$

$$A = 100000\left(1 + \frac{0.06}{4}\right)^{4(4)} = 100000(1 + 0.015)^{16} =$$

$$100000 (1.015)^{16} = 126898.55$$

Answer: \$126,898.55

1b. compounded monthly

Back to [Problem 1](#).

$$A = P \left(1 + \frac{r}{n} \right)^{nt}$$

$$P = \$100,000.00, r = 6\% = 0.06, n = 12, \text{ and } t = 4$$

$$A = 100000 \left(1 + \frac{0.06}{12} \right)^{12(4)} = 100000(1 + 0.005)^{48} =$$

$$100000 (1.005)^{48} = 127048.92$$

Answer: \$127,048.92

1c. compounded daily

Back to [Problem 1](#).

$$A = P \left(1 + \frac{r}{n} \right)^{nt}$$

$$P = \$100,000.00, r = 6\% = 0.06, n = 365, \text{ and } t = 4$$

$$A = 100000 \left(1 + \frac{0.06}{365} \right)^{365(4)} = 100000 \left(1 + \frac{0.06}{365} \right)^{1460} = 127122.41$$

Answer: \$127,122.41

1d. compounded continuously

Back to [Problem 1](#).

$$A = Pe^{rt}$$

$$P = \$100,000.00, r = 6\% = 0.06, \text{ and } t = 4$$

$$A = 100000e^{0.06(4)} = 100000e^{0.24} = 127124.92$$

Answer: \$127,124.92

2a. I owe you the solution.

2b. I owe you the solution.

Back to [Problem 2](#).

2c. I owe you the solution.

3a. I owe you the solution.

Back to [Problem 3](#).

3b. I owe you the solution.